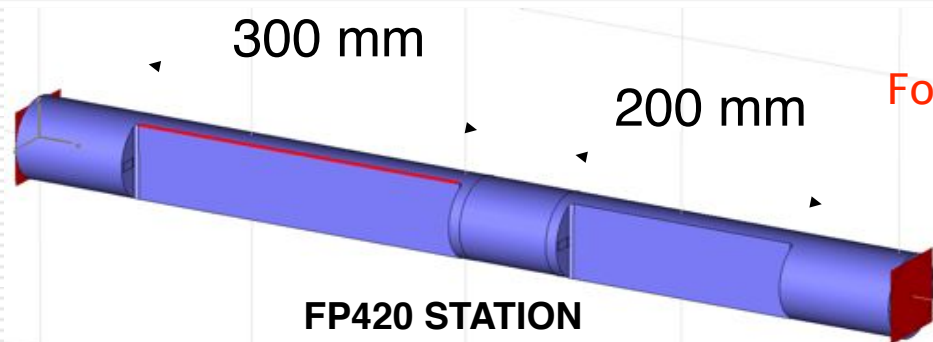


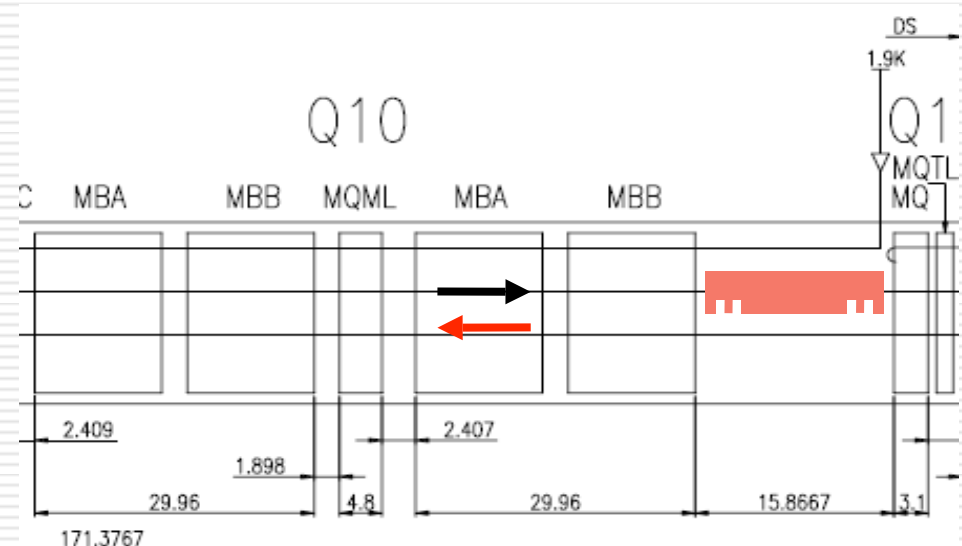
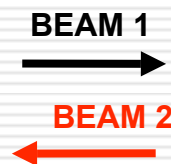
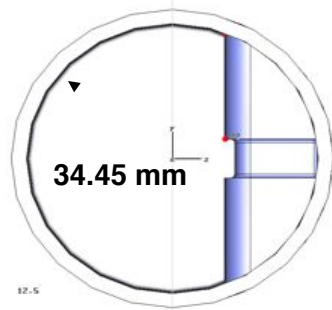
FP420 detectors

Mechanical design based on **movable “Hamburg Pipe”**

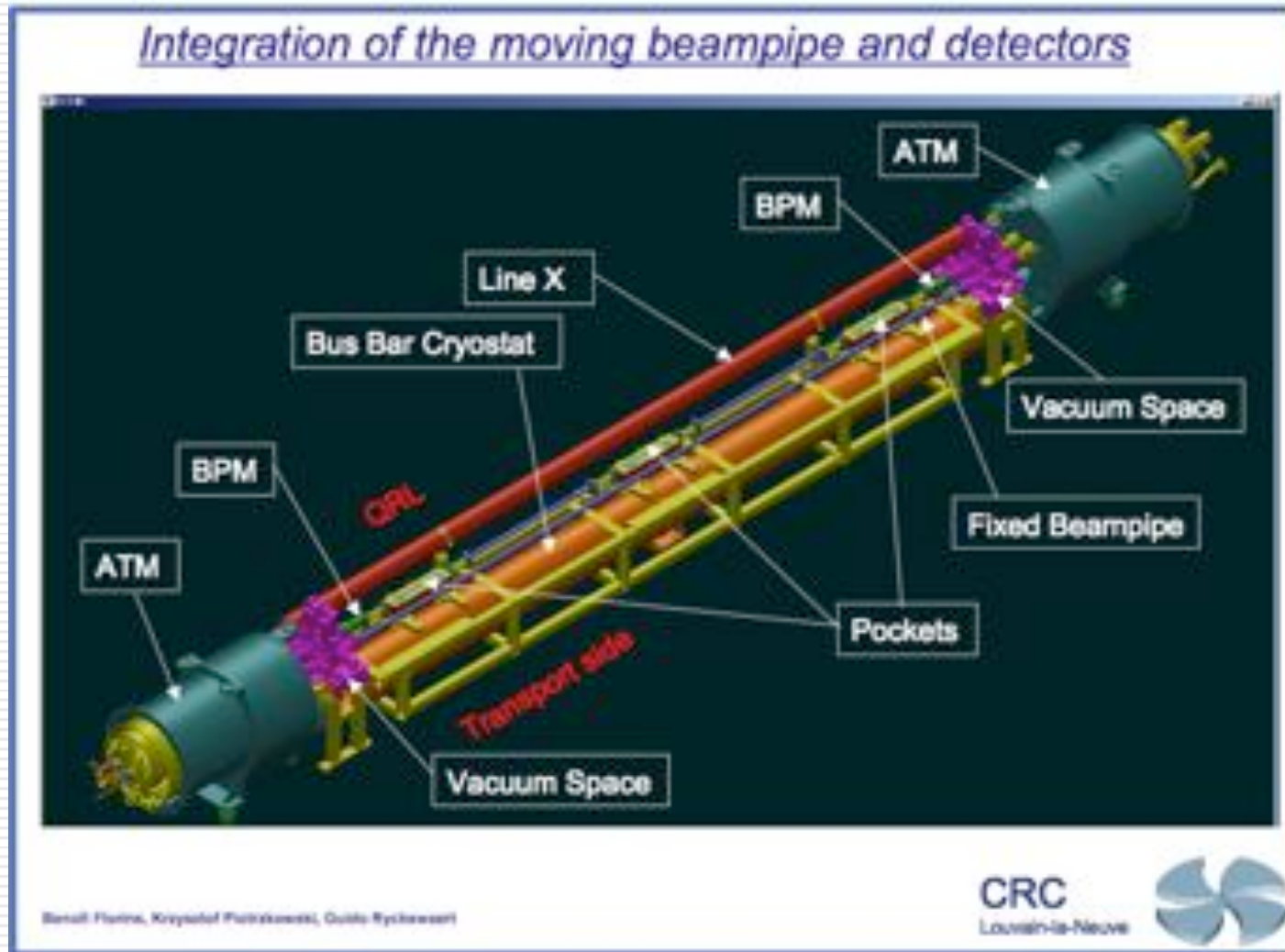


Four detectors proposed (IP1, IP5, beam1 + beam2)

- **Two** (or three) **stations** for each detector
- **Two pockets** for each station with (20cm + 30 cm)



FP420 integration



How to measure the impedance

Stretched wire method

The wire is used to simulate the EM fields induced by the beam. The structure becomes a **coaxial wave guide** structure with **TEM modes**. The set up consists in some alignment system and a Vector Network Analyzer as RF source.

The longitudinal impedance can be inferred from scattering parameters analysis. In particular: the signal **S21** transmitted through the wire along the **Device Under Test (DUT)** has to be compared to the one measured along a smooth **reference beam pipe** with the same length of the DUT.

Longitudinal
impedance

$$Z_{||}(f) = -2Z_c \ln \frac{S_{21}^{DUT}(f)}{S_{21}^{REF}(f)}$$

with: Z_c = Line impedance
 d = Wire diameter
 D = Inner pipe diameter (or distance between plates)

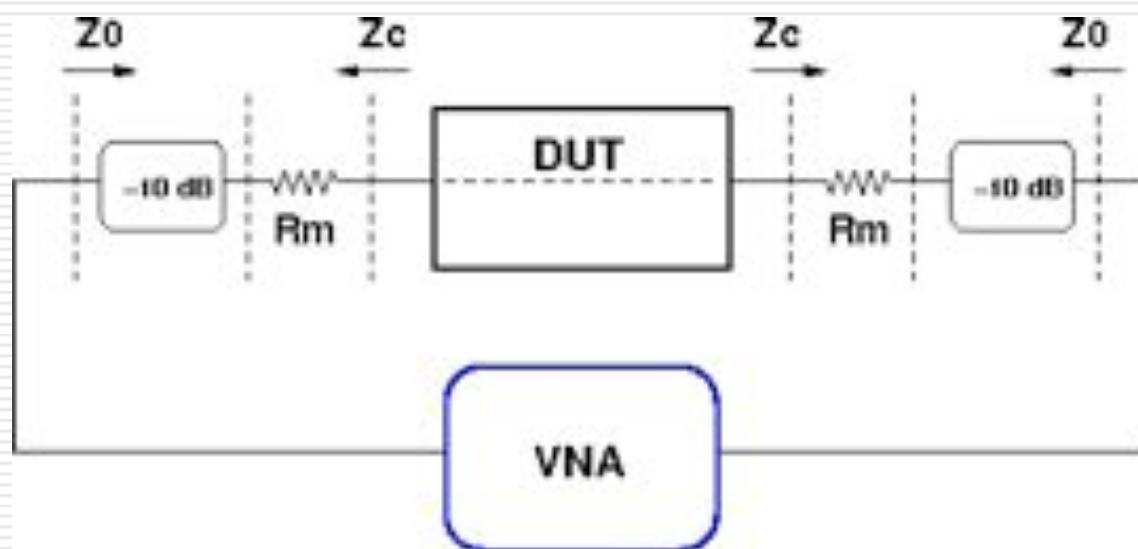
Transverse
impedance from
longitudinal
impedance variation

$$Z_{\perp}(x, \omega) \simeq \frac{c}{\omega} \frac{Z_{||}(x) - Z_{||}(x=0)}{x^2}$$

Stretched wire measurements - Matching

We saw with numerical simulations that **tapering cones** were not very helpful at **low frequencies**

- **resistors** to **match** the line impedance/cables
- The residual mismatch is calibrated out (measuring only cables + resistors)



$$R_m = Z_c - Z_0$$

$$Z_0 = 50 \Omega$$

$$Z_c = \text{From analytical models, i.e. } 60 \cdot \ln \left(\frac{d}{D} \right) \text{ for cyl. coax}$$

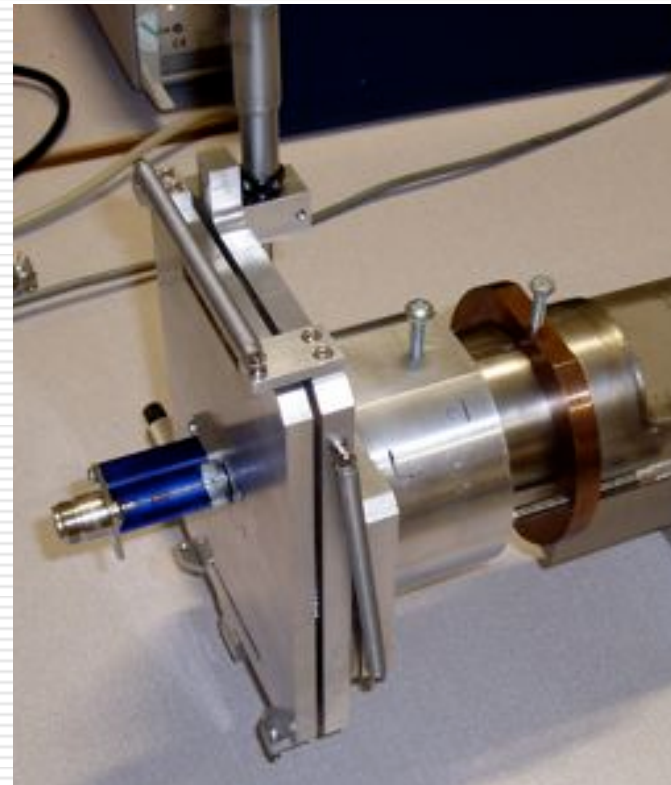
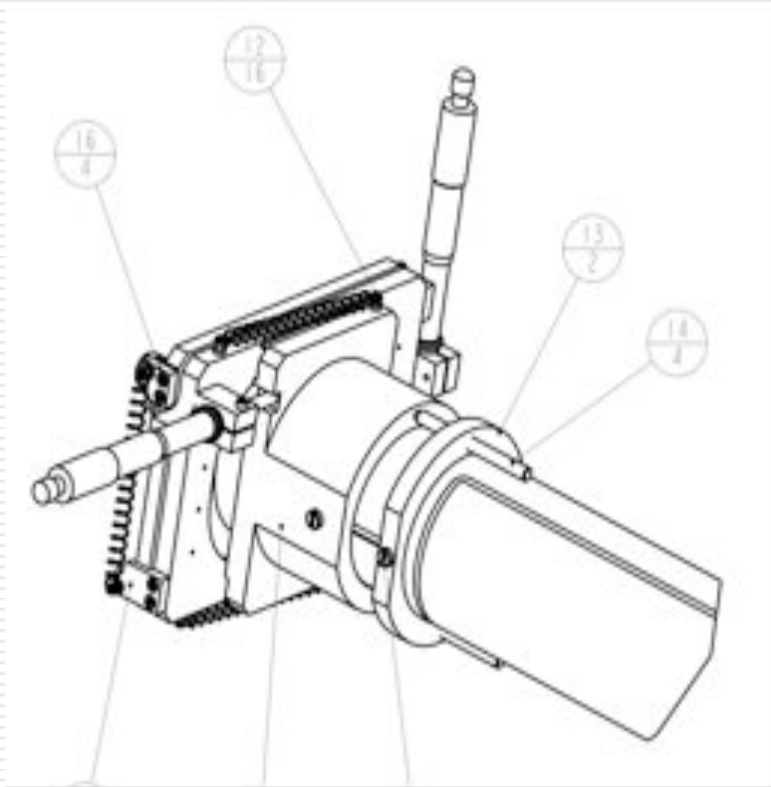
Moving the wire Z_c changes, unavoidable mismatch

Laboratory measurements

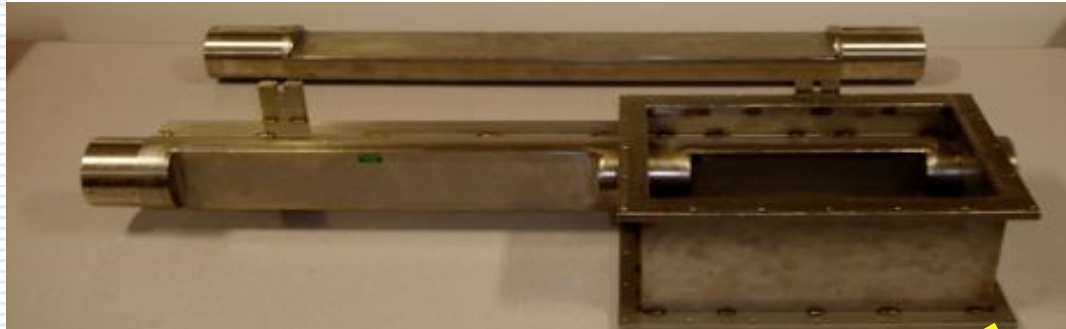
Laboratory setup at Cockcroft Institute

Sophisticated system to position and stretch the wire

High precision micrometer screws to monitor the wire position



Beam pipe with pockets prototypes

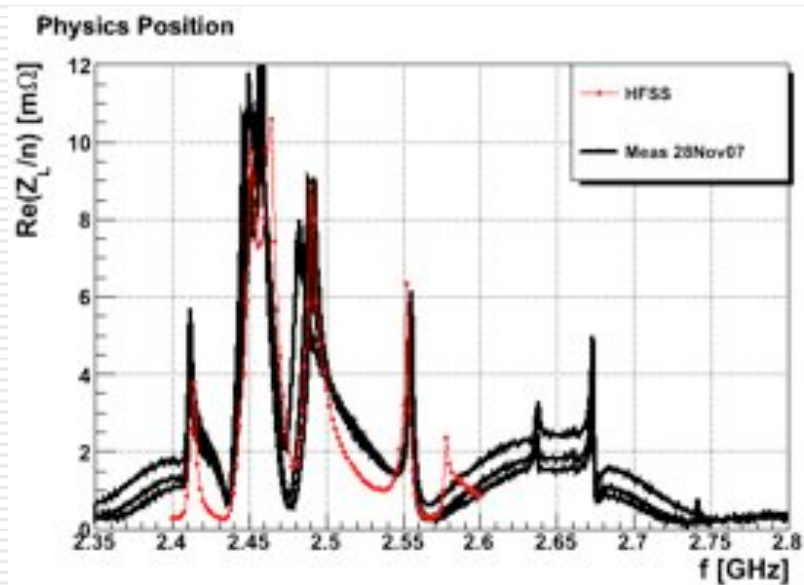
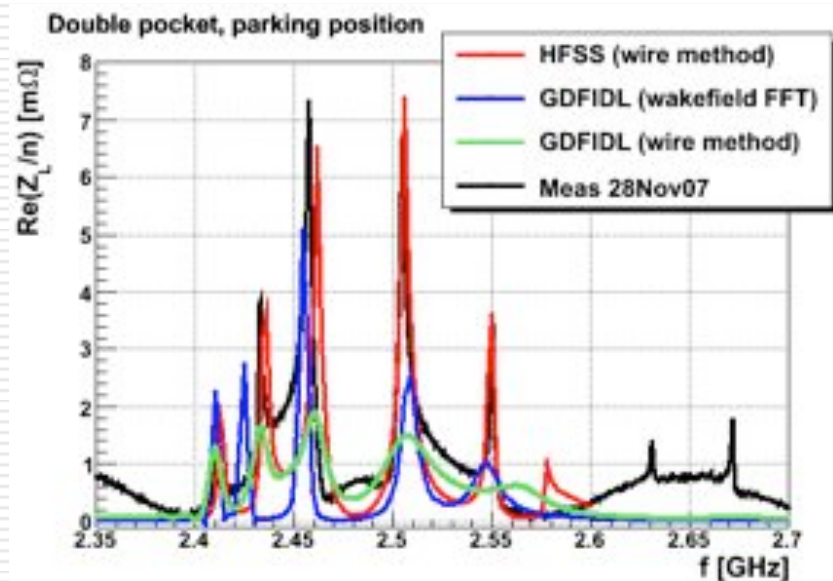


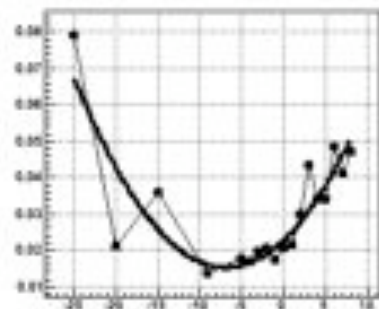
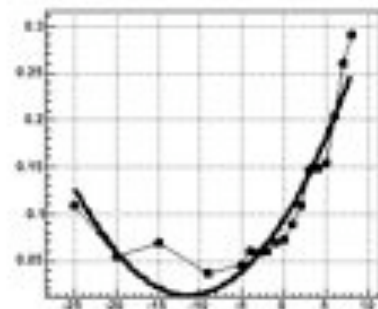
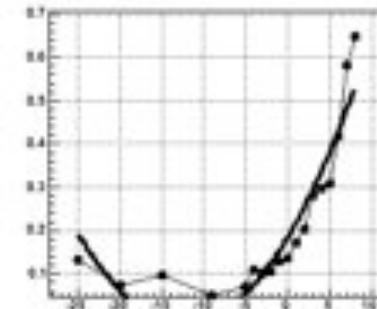
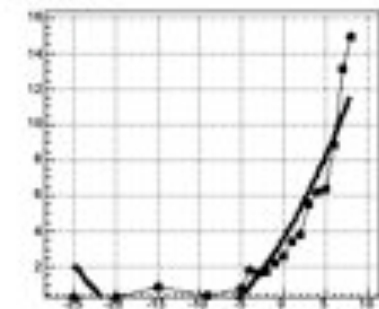
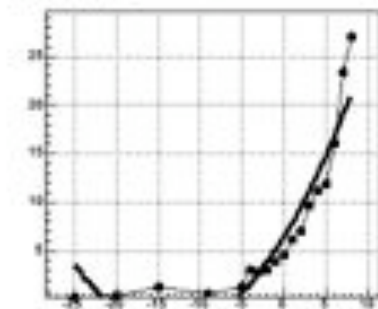
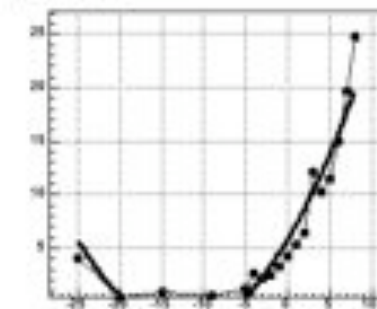
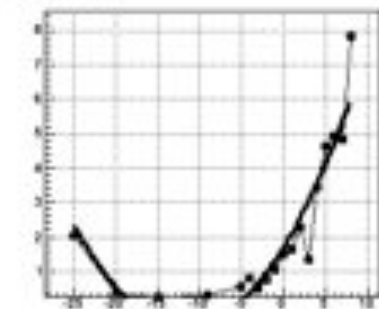
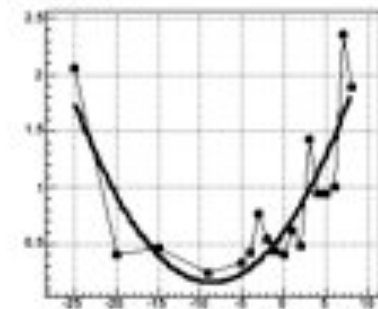
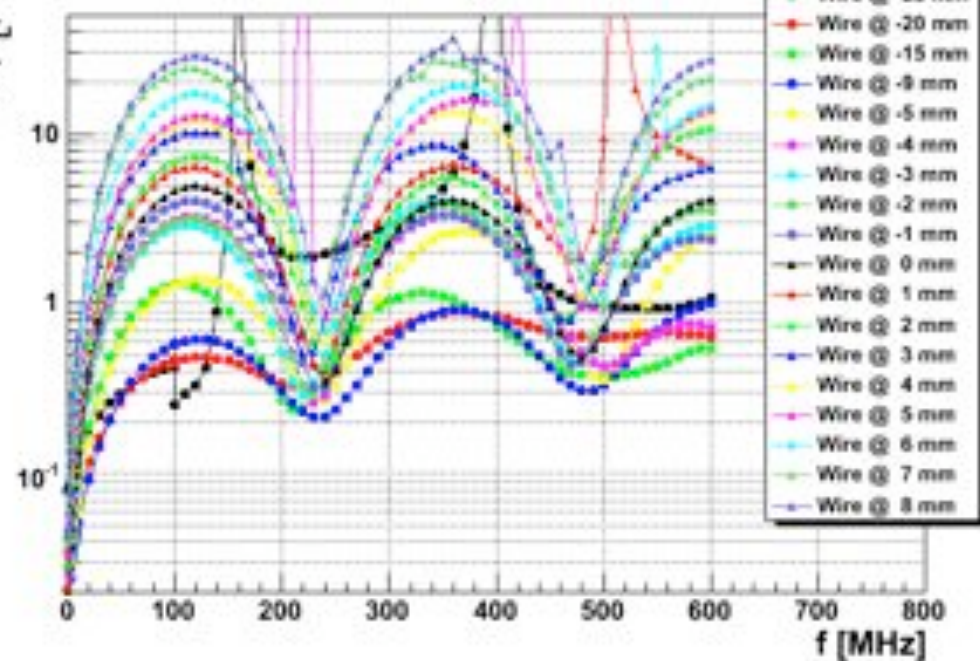
- Single and double pocket prototypes are here at CI and have been measured

- Box designed for hosting tracking detectors
- prototype used for CERN test beam in Oct 2007

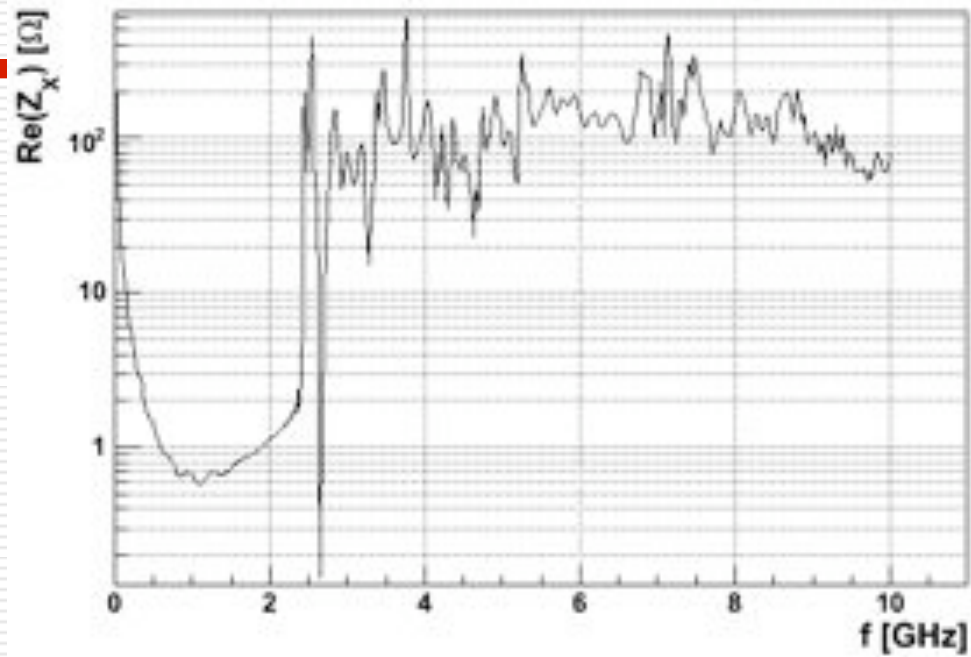


TEXT

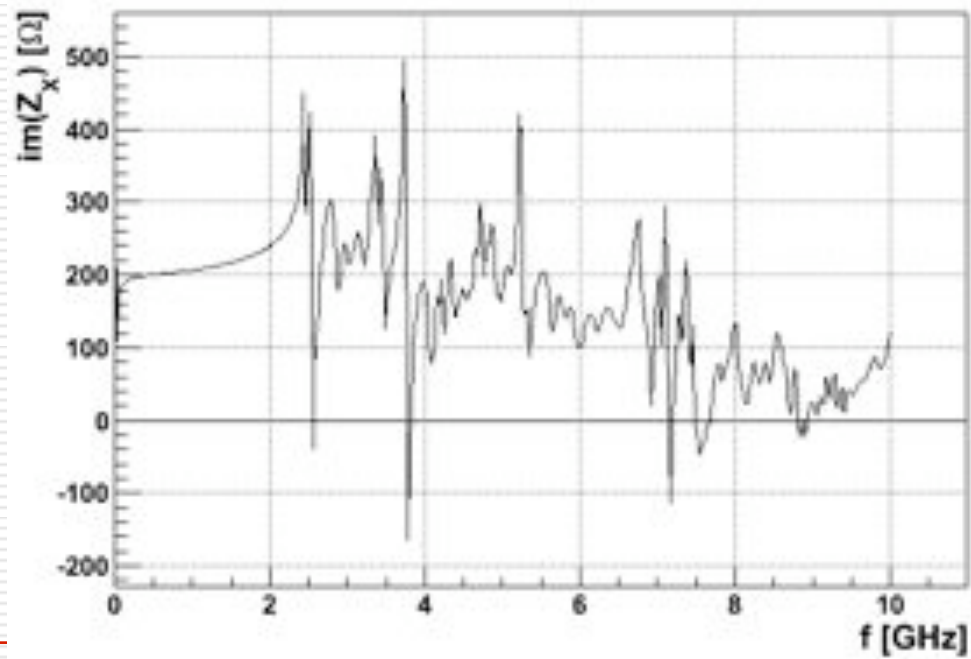


$f = 1.00 \text{ MHz}$  $f = 5.00 \text{ MHz}$  $f = 10.00 \text{ MHz}$  $f = 50.00 \text{ MHz}$  $f = 100.00 \text{ MHz}$  $f = 150.00 \text{ MHz}$  $f = 200.00 \text{ MHz}$  $f = 250.00 \text{ MHz}$  $f = 300.00 \text{ MHz}$  $\text{Re}(Z_L)$ 

Gdfidl, Beam distance from window = 3.5 mm



Gdfidl, Beam distance from window = 3.5 mm



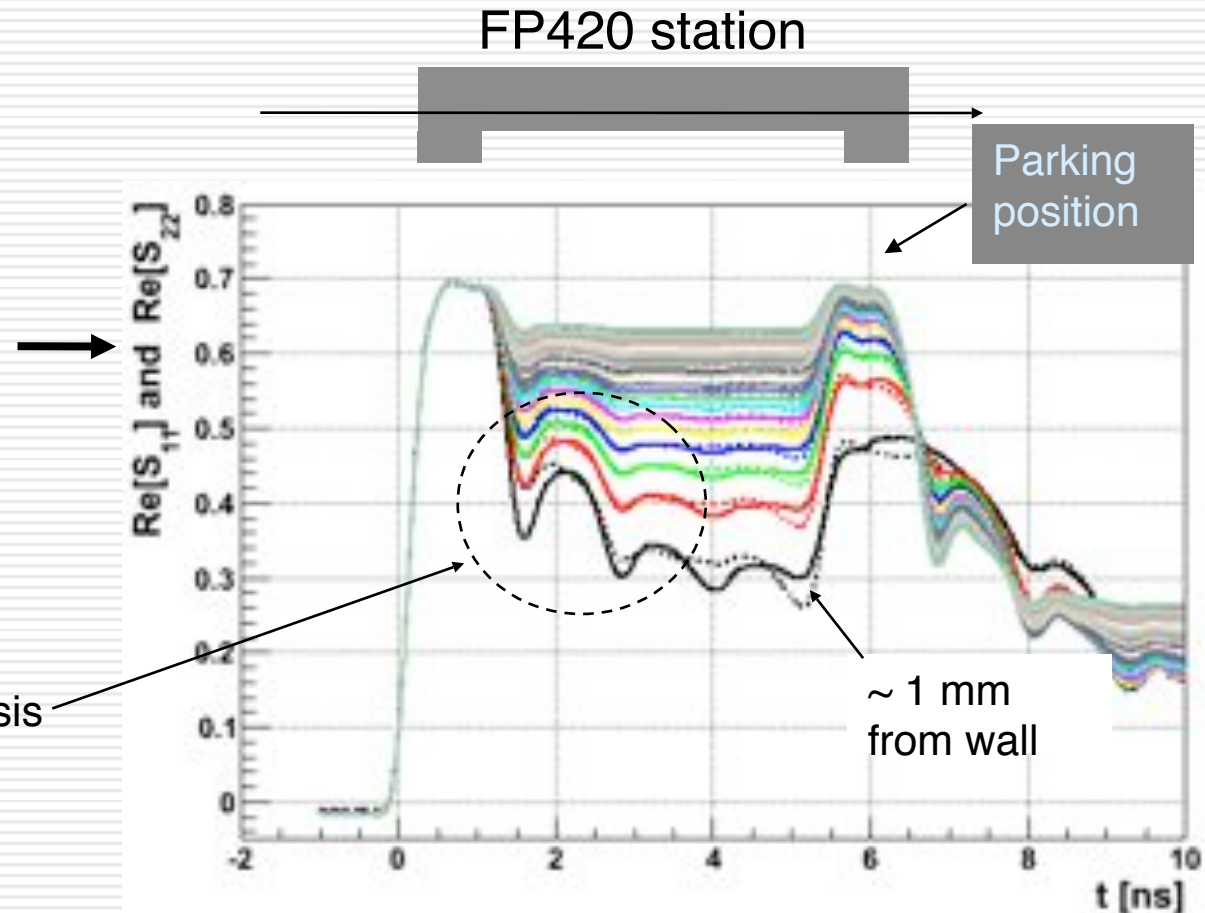
Measurements in reflection mode

REFLECTED POWER

S11 (solid) and S22 (dashed)

In TIME DOMAIN for different wire positions w.r.t pipe wall

Multiple reflections to be averaged out by offline analysis



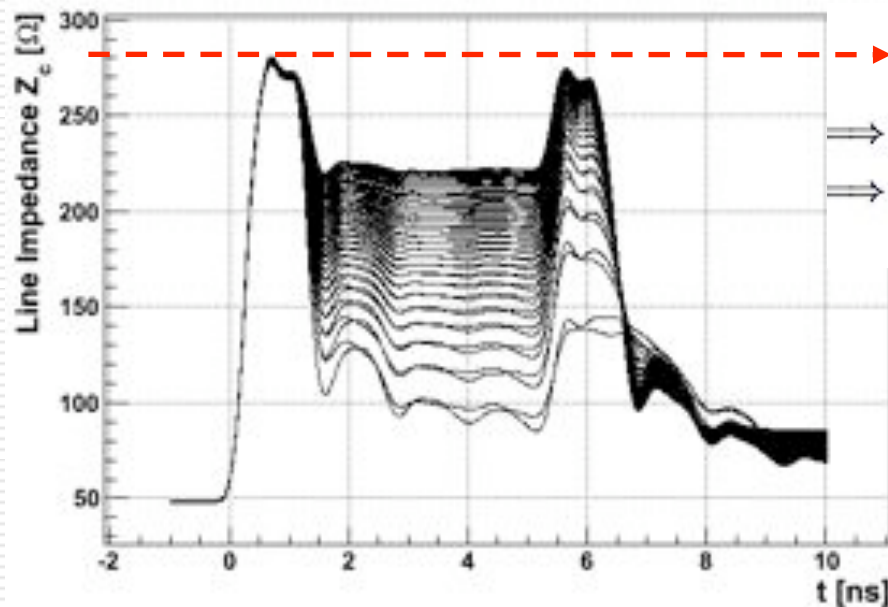
This signals can be used to estimate **line impedance** to be used in the “log formula”

- as function of **long position**
- as function of **wire transverse position**

**RELEVANT FOR OUR
ASYMMETRIC
STRUCTURE**

Meas. in reflection - Line impedance

$$Z_c = Z_0 \frac{1 + S_{11}}{1 - S_{11}} \quad \text{line impedance from reflection signal} \quad , Z_0 = 50 \Omega$$



Line impedance

$$Z_c \approx 270 \Omega$$

⇒ 10 % smaller than analytical value for symmetric structure

⇒ Real part of longitudinal impedance 10 % smaller than what quoted in previous plots

Meas. in reflection - Wire position (I)

Reflected signal in time domain. We can use it to do this:

$$Z_c^1 = Z_0 \frac{1 + S_{11}}{1 - S_{11}}, \quad Z_0 = 50 \Omega \quad \text{Line impedance from reflection signal}$$

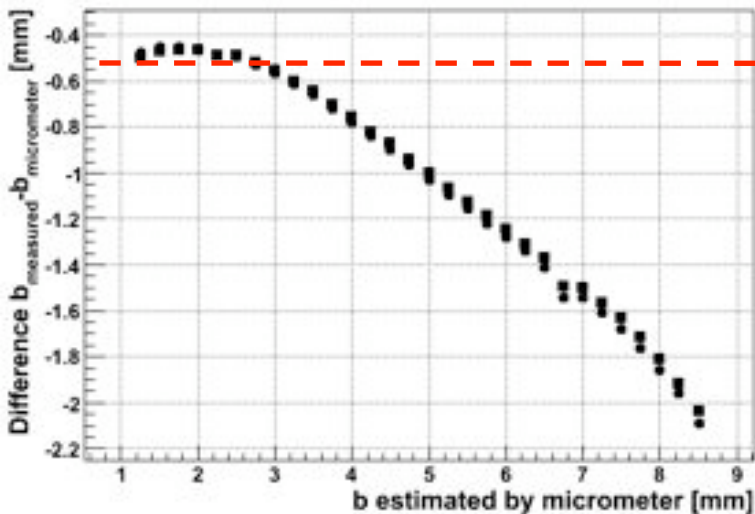
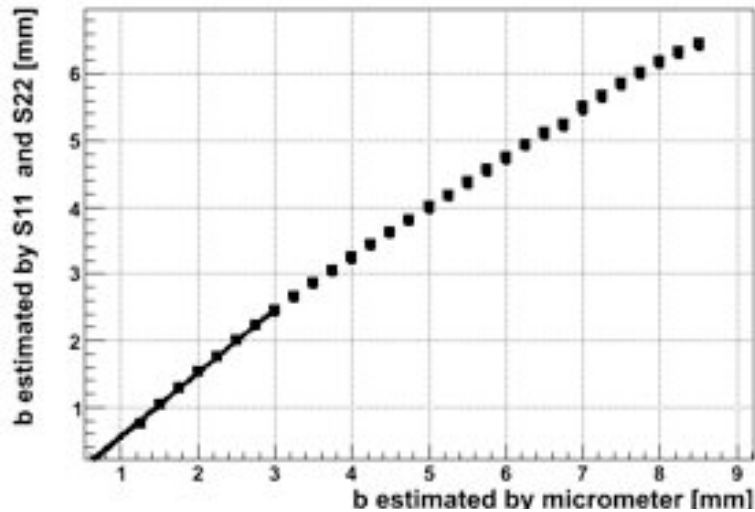
$$Z_c^2 = 60 \operatorname{acosh} \left(\frac{2b}{d} \right) \quad \text{Line impedance of a wire with diameter } d \text{ at distance } b \text{ from a plate}$$

$$Z_c^1 \equiv Z_c^2 \implies b$$

So: for different mechanical positions:

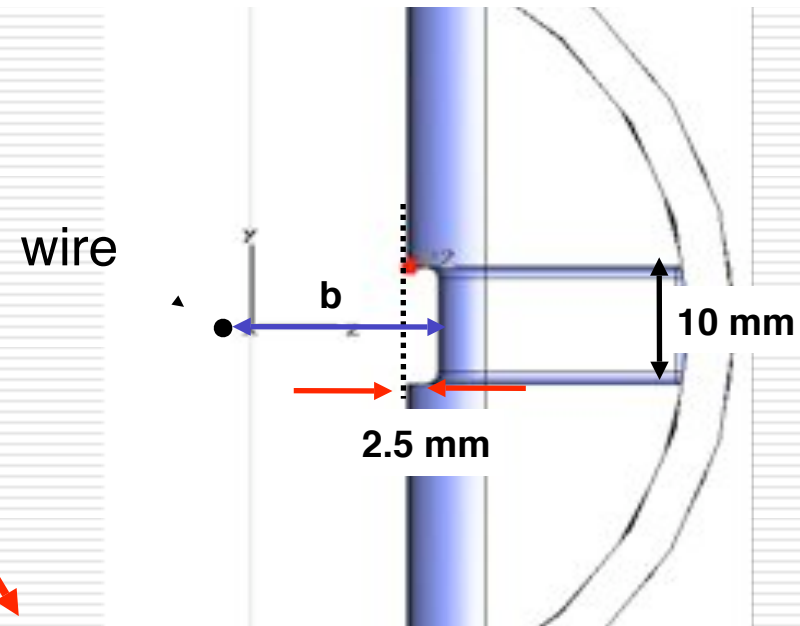
- invert this last equation using Z_c from $S_{11} \rightarrow$ get distance from windows b
- plot mechanical position (based on "touch point") .vs. this calculated b

Meas. In reflection - Wire position (II)



Mechanical vs measured position:

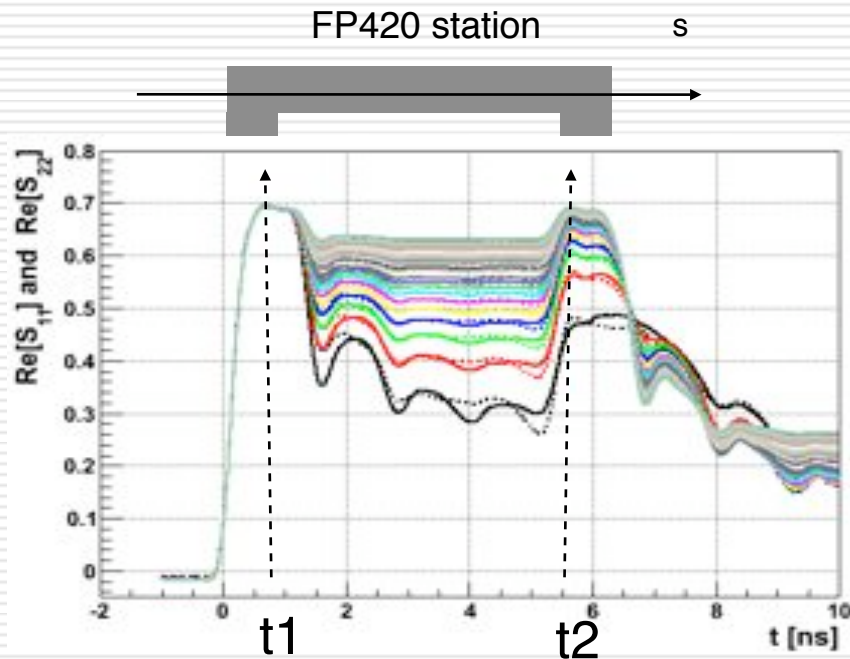
- linear only when wire is < 2 mm from wall
- for $b > 2$ mm approximation of wire close to a plate is not valid anymore



~ 0.5 mm = correction to apply to mechanical position measurement

N.B. : we were only worried about absolute wire position not about the relative displacement (very well known with micrometer screws)

Meas. in reflection-Resistive wall (I)



From measurements

The difference between the two maxima at t_1 and t_2 is only due to **resistive wall** effect **integrated** over the chosen **frequency range**.

$$S_{11}(t_1) - S_{11}(t_2) \equiv S_{22}(t_1) - S_{22}(t_2) = \frac{S_{21}}{S_{21}^{ref}}$$

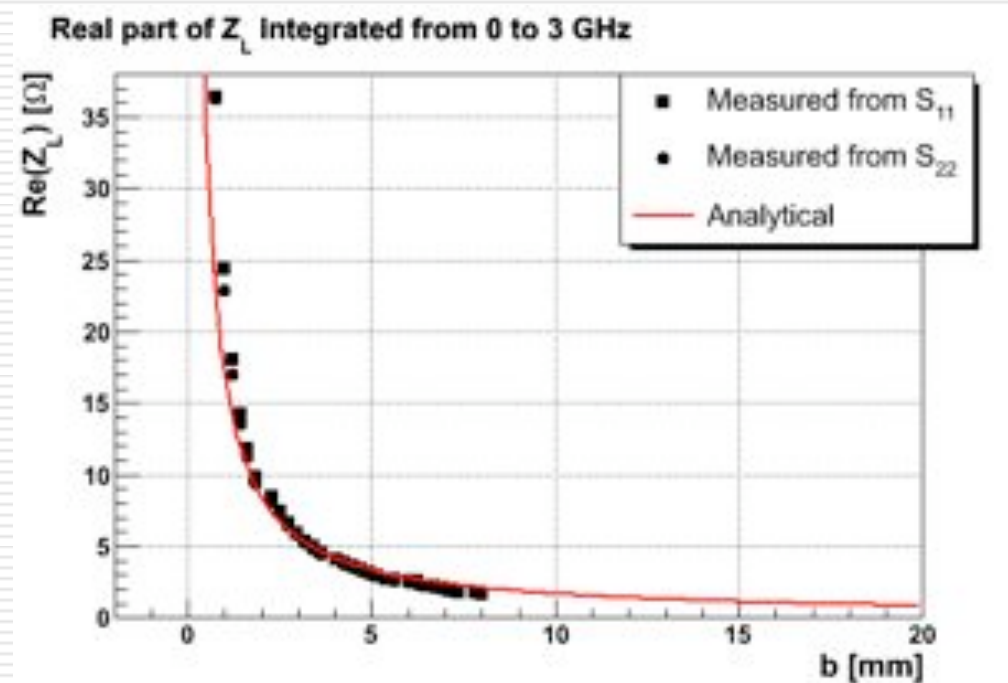
$$\int_{f_1=0}^{f_2=3\text{ GHz}} Z_L(f) df = -2Z_C \ln \frac{S_{21}}{S_{21}^{ref}}$$

Analytical prediction:

Wire close to a plate:

$$Z_L(f) = \frac{L}{2\pi b} \sqrt{\frac{\omega Z_0}{2c\sigma_c}} \cdot \frac{\pi}{12}$$

Meas. in reflection - Resistive wall (II)



Maximum discrepancy between **measurement** and **theory**:

$$\Delta Z_L < 5 \Omega \quad \text{or} \quad \Delta x < 0.1 \text{ mm}$$

To be verified:

Windowing in frequency domain of **Network Analyzer** not included in analytical prediction yet